

# Intermediary Leverage and Currency Risk Premium

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  - Not offset by exchange rate movement
- Carry trade: Borrow low, lend high, positive return
- Risk-based view (Lustig, Roussanov, and Verdelhan, 2011)
  - JPY **less risky** than AUD: appreciate in recessions

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- Research questions
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  - Low nominal interest rate → High bank leverage
  - High bank leverage → Currency appreciation in recessions
- Empirical evidence in support of the model

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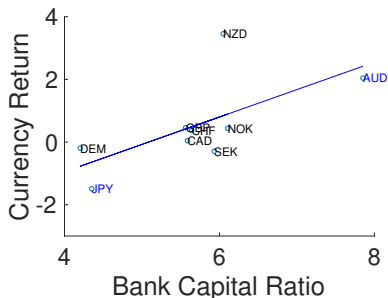
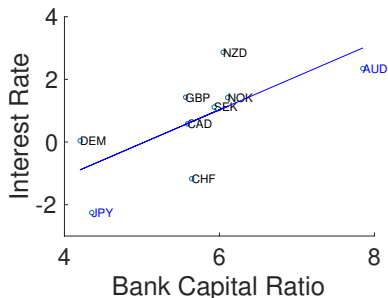
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  - In recessions, bank wealth low → low foreign asset demand and currency appreciation
    - Banks are more willing to hold the foreign assets than savers

# First-pass Evidence



Note: Time span from 1990 to 2015. Currency data at monthly frequency and bank capital ratio at annual frequency. German currency data are used before 1999 while euro data are used after 1999.

# Empirics

- Low interest rate, high bank leverage, low currency return
- Low rate currencies appreciate in recessions when global bank stock return is low
- Carry trade *CAPM beta* increases with global stock return volatility

# Contribution to the Literature

- **Structural models of cross-sectional real currency premium**
  - Hassan (2013), Richmond (2018), Ready, Roussanov, and Ward (2017, 2018), Colacito, Croce, Gavazzoni, and Ready (2018), Jiang (2018), Wiriadinata (2018)
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- **Financial intermediation and currency return**
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  - Contribution: Explain **carry trade risk premium** via intermediaries



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  - Contribution: Explain **carry trade risk premium** via intermediaries
- **Risk taking effect of monetary policy**
  - Bernanke and Kuttner (2005), Bruno and Shin (2015), Drechsler, Savov, and Schnabl (2017, 2018), Miranda-Agrippino and Rey (2018), Coimbra and Rey (2019)
  - Contribution: The currency market implications
- **New evidence on interest rates, bank leverage, and currency returns**

## Environment (1/2)

- A set of small open economies, nontraded and traded goods (CES)
- Endowment: A tree delivers nontraded good  $X$  and traded good  $Y$

$$\frac{dX}{X} = \mu_x dt + \sigma_x dB_x, Y = \bar{r}X$$

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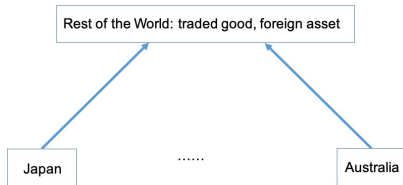
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- Modeling global systematic shock: the same shock  $dB_x$  hits all
  - Carry trade—exposure to global shock

## Environment (2/2)

- Two agents with **recursive preferences** on the consumption basket
  - Risk aversion  $\gamma_h > \gamma_b$
  - IES  $\psi_h < \psi_b$  (Vissing-Jorgensen, 2002; Guvenen, 2006; 2009)
  - Banks are borrowers

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- Competitive asset market
  - Deposit, cash, local risky asset, a foreign asset
  - Foreign asset with exogenous return in traded good

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- Exogenously different nominal interest rates

## The Liquidity Friction

- Bank holds cash  $w_c^b$  proportional to holding of the local risky asset  $w_h^b$  if  $w_h^b > 1$  (Drechsler, Savov, and Schnabl, 2018)

$$w_c^b = \lambda(w_h^b - 1)$$



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    - **All** cash, **zero** local risky asset
    - $\frac{\lambda}{1+\lambda}$  foreign asset
    - No liquidity premium in currency excess return (Valchev, 2017)

## Interest Rate and Bank Leverage

- Banks' budget constraint

$$\frac{dW^b}{W^b} = [\tilde{r} + w_h^b(\mu_s - \tilde{r}) + w_f^b(\mu_f - r) - c_x^b - Qc_y^b]dt + \Pi^b dt$$

$$+ w_h^b \sigma'_s d\mathbf{B} + w_f^b \sigma'_f d\mathbf{B} + \underbrace{[\dots]}_{0 \text{ in equilibrium}} dN$$

- $\tilde{r} = r + \lambda i$  the effective real cost of borrowing for banks

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- $\tilde{r} = r + \lambda i$  the effective real cost of borrowing for banks
- Optimal portfolio choice

$$\begin{bmatrix} w_h^b \\ w_f^b \end{bmatrix} = \underbrace{\frac{1}{\gamma_b} \begin{bmatrix} \sigma'_s \sigma_s & \sigma'_s \sigma_f \\ \sigma'_s \sigma_f & \sigma'_f \sigma_f \end{bmatrix}^{-1} \begin{bmatrix} \mu_s - r - \lambda i \\ \mu_f - r \end{bmatrix}}_{\text{tangency portfolio}} + \underbrace{\frac{1}{\gamma_b} \frac{1 - \gamma_b}{1 - \psi_b} \begin{bmatrix} \sigma'_s \sigma_s & \sigma'_s \sigma_f \\ \sigma'_s \sigma_f & \sigma'_f \sigma_f \end{bmatrix}^{-1} \begin{bmatrix} \sigma'_s \sigma_\Omega \\ \sigma'_f \sigma_\Omega \end{bmatrix} \frac{B_\Omega}{B}}_{\text{hedging portfolio}}$$

- Interest rate lowers leverage  $w_b^h$

## Bank Leverage and Exchange Rate

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- Why does nominal interest rate  $i$  matter?
  - Low  $i \rightarrow$  High bank leverage  $\rightarrow$  More appreciation with the bad shock

## Expected Return: The Euler Equation

$$(\mu_f - r)dt = -\text{cov} \left( \dots - \gamma_j \frac{dW^j}{W^j}, \frac{dQ}{Q} \right)$$

- If  $Q$  comoves positively with  $W^j$ ,  $\mu_f - r$  should be positive

# Roadmap for Numerical Results

- Cross-sectionally: interest rate, bank leverage, currency risk premium
  - ▶ Cross section
- Time-series relation between interest rate and currency risk premium
  - ▶ Time series
- Deviation from CIP and its interaction with currency risk premium
  - ▶ CIP

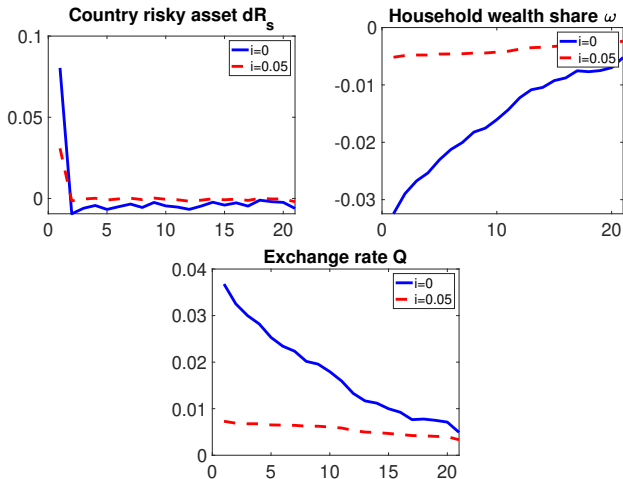
# Key Parameters

Variable	Notation	Value
Households' risk aversion	$\gamma_h$	30
Bank's risk aversion	$\gamma_b$	5
Households' IES	$\psi_h$	1.2
Bank's IES	$\psi_b$	3
Size of funding shock	$\lambda$	0.2

$\lambda$ : G10 average of liquid assets/total assets for the banking sector

▸ Parameters

# Impulse Responses



Note: Impulse responses of various variables to a one standard deviation **positive** endowment shock in the two economies with  $i = 0$  and  $i = 0.05$ .

## Simulation: A Cross-Section with Fixed Interest Rates

Low interest rate  $i$ , high bank leverage  $w_h^b$ , appreciation in bad shock  $\sigma_{qx}$ , large asset return exposure  $\sigma_{sx}$ , high foreign currency risk premium  $\mu_f - r$

$i$	0	1	2	3	4	5
$w_h^b$	1.946	1.924	1.812	1.571	1.454	1.373
$\sigma_{sx}$	8.237	6.455	5.286	4.151	3.667	3.155
$\sigma_{qx}$	5.425	3.595	2.836	2.253	1.817	1.215
$\mu_f - r$	2.111	1.131	0.876	0.859	0.743	0.454

[▶ Leverage discussion](#)[▶ Full results](#)

## Stock Market Implications

- Low-interest-rate countries' stock return load more on the global risk



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- Low-interest-rate countries' stock return load more on the global risk
  - Low interest rate  $\rightarrow$  High bank leverage  $\rightarrow$  Strong amplification
- Empirical evidence: Colacito, Croce, Gavazzoni, and Ready (2018)

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- Model Prediction: Carry trade *CAPM beta* increases in global stock market volatility
  - Stock vol  $\uparrow \rightarrow$  Wealth redistribution  $\uparrow \rightarrow$  exchange rate movement  $\uparrow$
  - Exchange rate comoves strongly with stock return
  - $\text{corr}(\beta, \bar{\sigma}_s) = 0.705$  in the simulation, and 0.645 in the data

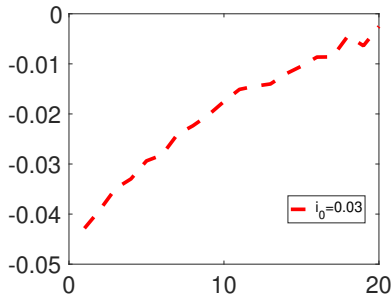
▶ Big Picture

# Time Series

- Stochastic process for interest rate

$$di = \zeta(i_0 - i) + \sigma_i dB_i$$

- Empirical evidence by Mueller, Tahbaz-Salehi, and Vedolin (2017)
  - After the Fed raises interest rate unexpectedly, the risk premium of investing in foreign currencies decline
- Impulse responses in the model [▶ Big Picture](#)



# Deviation from Covered Interest Rate Parity

- Deviation from covered interest rate parity (CIP)

$$-x_t = \underbrace{-i_t^{\$}}_{\text{short}} + \underbrace{s_t - f_t + i_t^*}_{\text{long}} > 0$$

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- Interpretation through my model
  - Dollar in cash is cheaper because it is more liquid

▸ Big Picture

▸ Liquidity premium and currency risk premium

# Empirical Evidence: Overview

- 1 Interest rate, bank leverage, and currency return [▶ Go](#)
  - Low interest rate, high bank leverage, low currency return
  - Positive spread between lowest and highest leverage portfolios
  - A leverage risk factor prices the cross-section



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  - When global bank stock return is low
- 3 Carry trade *CAPM* beta increases in stock market volatility

[▶ Data](#)

# Panel Regression

	Interest rate dif		Currency return	
	(1)	(2)	(1)	(2)
Capital ratio	0.463** (0.071)	0.113** (0.005)	0.279** (0.100)	0.208** (0.094)
Inflation		0.948** (0.098)		0.374 (0.570)
GDP		-0.429** (0.031)		-0.587** (0.025)
$R^2$	0.134	0.468	0.124	0.341

Note: Fama-Macbeth regression results of interest rate difference (left panel) and currency return (right panel) on bank capital ratio (the inverse of leverage, in percentage). Data are monthly including 22 countries, from Jan 1990 to Dec 2016. Annual measures of bank capital ratio and GDP share are used repetitively for months within a year. Standard errors are Newey-West adjusted with 120 lags.

# Currency Portfolios

	(1)	(2)	(3)	(3)-(1)
Panel A: Leverage sorted portfolios				
Interest rate dif	0.050	1.068	1.669	1.619
Bank capital ratio	4.476	5.738	7.612	3.135
Excess return	-0.687	0.182	1.465	2.152
Standard deviation	8.513	9.165	8.711	5.550
Sharpe ratio	-0.081	0.020	0.168	0.388

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Panel B: Interest rate sorted portfolios				
Interest rate dif	-0.734	1.128	2.540	3.274
Bank capital ratio	5.324	5.738	6.548	1.224
<b>Excess return</b>	<b>-0.526</b>	<b>-0.226</b>	<b>1.635</b>	<b>2.161</b>
Standard deviation	7.602	9.738	9.242	6.308
Sharpe ratio	-0.069	-0.023	0.177	0.343

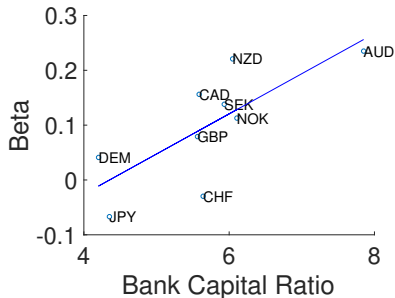
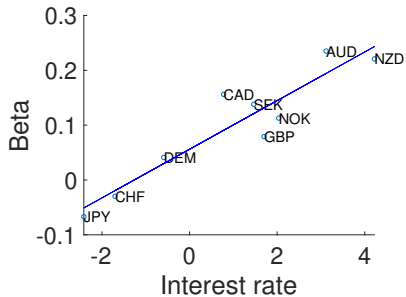
- (1) to (3): low interest/high leverage to high interest/low leverage

# Linear Factor Model with Lev-Factor

	Lev-1	Lev-2	Lev-3	Int-1	Int-2	Int-3
Panel A: Risk Factor Exposure						
$\alpha$	0.269 (1.613)	0.060 (1.813)	0.269 (1.613)	-0.036 (1.484)	-0.127 (1.927)	0.716 (1.769)
$\beta$	-0.444** (0.084)	0.056 (0.094)	0.556** (0.084)	-0.228** (0.077)	-0.046 (0.100)	0.427** (0.092)
$R^2$	0.084	0.001	0.125	0.028	0.001	0.066
Obs	312	312	312	312	312	312
Panel B: Price of Risk						
	Two-step			GMM		
	2.552*			2.134*		
	(1.543)			(1.107)		

Note: Panel A shows the exposure to Lev-factor across the currency portfolios sorted on bank leverage and unconditional average interest rate difference. Panel B reports the estimated price of Lev-factor risk using two-step and GMM methods. Shanken (1992)'s adjustment is used when computing two-step estimates' standard error. In GMM estimation, I use Hansen and Jagannathan (1997)'s scale-invariant weight matrix. All estimates of price of risk are annualized.

# Exchange Rate and Global Bank Stock Return



Note: Relationship of interest rate (the left panel) and bank capital ratio (the right panel) with exchange rate beta with global bank stock return. Data from November 1983 to December 2016. Euro is used for "DEM" after 1999.

# Conclusion

- An economic explanation of the carry trade risk premium
  - Low nominal rate  $\rightarrow$  high bank leverage  $\rightarrow$  appreciation in bad times



# Conclusion

- An economic explanation of the carry trade risk premium
  - Low nominal rate → high bank leverage → appreciation in bad times
- Empirical evidence for the main model implications
  - Low interest rate, high bank leverage, low currency return
  - Low rate currencies appreciate in bad times
  - Carry trade *CAPM beta* increases with the global stock volatility

# Parameters

Variable	Notation	Value
Panel A: Preference Parameters		
Households' risk aversion	$\gamma_h$	30
Bankers' risk aversion	$\gamma_b$	5
Households' IES	$\psi_h$	1.2
Bankers' IES	$\psi_b$	3
Preference over nontrade goods	$\alpha$	0.975
Elasticity of substitution across goods	$\theta$	0.5
Time discount rate	$\rho$	0.005
Exit rate	$\kappa$	0.02
Panel B: Endowment Parameters		
Drift of dividend process	$\mu_x$	0.025
Diffusion of dividend process	$\sigma_x$	0.025
Ratio of endowment	$\tau$	0.160
Panel C: Foreign Return Parameters		
Drift of foreign asset return	$r^*$	0.0236
Diffusion of foreign asset return	$\sigma_q^*$	0.02
Panel D: Interest Rate Parameters		
Size of funding shock	$\lambda$	0.2
Persistence of interest rate	$1 - \zeta$	0.9
Volatility of interest rate	$\sigma_i$	$0.004\sqrt{1 - (1 - \zeta)^2}$
Panel E: Other Parameters		
Wealth redistribution share	$\bar{\omega}$	0.95

## Discussion: Bank Leverage

Recall the market clearing condition:

$$P = W^h w_h^h + W^b w_h^b$$

Divide each side by  $W = P + NFA$ :

$$1 \approx 1 - \chi \frac{QX}{W} = \omega w_h^h + (1 - \omega) w_h^b$$

Thus:

$$w_h^b \leq \frac{1 - \omega w_h^h}{1 - \omega} < \frac{1}{1 - \omega}$$

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Low interest rate  $i$ , high bank leverage  $w_h^b$ , appreciation in bad shock  $\sigma_{qx}$ , large asset return exposure  $\sigma_{sx}$ , high foreign currency risk premium  $\mu_f - r$

$i$	0	1	2	3	4	5
Panel A: Asset Prices (in percent)						
$\mu_s$	4.074	3.969	3.928	3.957	4.045	4.192
$r$	0.847	1.753	1.991	2.000	2.112	2.401
$\mu_s - r$	3.227	2.216	1.937	1.957	1.933	1.791
$\sigma_{sx}$	8.237	6.455	5.286	4.151	3.667	3.155
$\sigma_{qx}$	5.425	3.595	2.836	2.253	1.817	1.215
$\mu_f - r$	2.111	1.131	0.876	0.859	0.743	0.454
Panel B: Portfolio Choices						
$w_h^b$	1.946	1.924	1.812	1.571	1.454	1.373
$w_f^b$	-0.039	0.062	0.148	0.191	0.217	0.230
$w_h^h$	0.257	0.378	0.489	0.616	0.696	0.786
$w_f^h$	0.025	-0.049	-0.099	-0.132	-0.151	-0.138
Panel C: State Variables						
$\omega$	0.542	0.581	0.603	0.592	0.593	0.629
$\chi$	-0.177	-0.196	-0.220	-0.218	-0.231	-0.227

# Liquidity Premium and Risk Premium

- Jiang, Krishnamurthy, and Lustig (2018)
  - Based on VAR decomposition

$$N_{FX} = N_{LP} + N_{ID} + N_{RP}$$

- Positive correlation between dollar liquidity premium and risk premium

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- Jiang, Krishnamurthy, and Lustig (2018)

- Based on VAR decomposition

$$N_{FX} = N_{LP} + N_{ID} + N_{RP}$$

- Positive correlation between dollar liquidity premium and risk premium
- A slightly extended version of the model (with dollar specialty)
  - Dollar and domestic cash imperfect substitutes ( $>1$ )
  - Dollar liquidity premium  $\uparrow \rightarrow$  cost of liquidity  $\downarrow \rightarrow$  risk premium  $\uparrow$

# Data

- Forward and spot rate: Datastream, 1983-2016
- 22 advanced economies
  - Australia, Austria, Belgium, Canada, Denmark, Finland, France, Germany, Greece, Ireland, Italy, Japan, Netherlands, New Zealand, Norway, Portugal, South Korea, Spain, Sweden, Switzerland, UK, US
- Bank balance sheet: 1990-2016, from SNL Financial
- Bank stock returns: Datastream, 1983-2016
- Countries using euro: only in the sample before 1999

## Panel Regression with EMs

	Interest rate dif		Currency return	
	(1)	(2)	(1)	(2)
Capital ratio	0.385** (0.033)	0.267** (0.047)	0.419** (0.128)	-0.038 (0.061)
Inflation		0.541** (0.031)		0.114 (0.501)
GDP		-0.323** (0.032)		-0.210 (0.469)
$R^2$	0.079	0.446	0.064	0.198

Note: Fama-Macbeth regression results of interest rate difference (left panel) and currency return (right panel) on bank capital ratio (the inverse of leverage, in percentage). Data are monthly including 44 advanced and emerging economies, from Jan 1990 to Dec 2016. Annual measures of bank capital ratio and GDP share are used repetitively for months within a year. Standard errors are Newey-West adjusted with 120 lags.